

THEORETICAL CONSIDERATION ABOUT THE EFFECTS OF THE FRICTIONS TO THE SONICS CIRCUIT

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ABSTRACT

In this paper will make obvious the effects of the friction about the sonic flow. Will present the same variations of the and sonic pressure, sonic flow, on functions of the characteristic size, how are: the variation o the pressure with the variation of the capacity of friction, and also the variation of the length of the pipe in bearing of the diameter of this.

Keywords: sonic pressure sonic flow, friction capacity

1. GENERAL NOTION

If have sinusoidal flow, we have the relation:

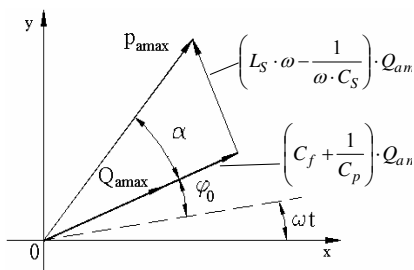


Figure 1. The vector diagram of the sonic flow

$$Q_i = C_p \cdot p_{Si_p} \quad (1)$$

where C_p is the coefficient of the perditanta, result the p_{Si_p} will be sinusoidal formed and in phases with the sonic pressure we can writing:

$$Q_{a \max} = C_p \cdot p_{a \max} \quad (2)$$

Friction. For the friction we have the relation:

$$p_{a \max} = C_f \cdot Q_{a \max} \quad (3)$$

is in phases with the flow, figure 1,

$R_f = C_f$, define the friction coefficient.

By the vector diagram, we observe the modulus of the $p_{a \max}$ can be:

$$p_{a \max} = Q_{a \max} \sqrt{\left(C_f + \frac{1}{C_p}\right)^2 + \left(\omega \cdot L_s - \frac{1}{\omega \cdot C_s}\right)^2} \quad (4)$$

the vector $\vec{p}_{a \max}$, can be advanced with the $\vec{Q}_{a \max}$ vector, with the α angle, give by relation:

$$\operatorname{tg} \alpha = \frac{\omega \cdot L_S - \frac{1}{\omega \cdot C_S}}{C_f + \frac{1}{C_p}} \quad (5)$$

With $\alpha = 0$, we have:

$$L_S \cdot C_S \cdot \omega^2 = 1 \quad (6)$$

This condition suit a situation of resonance between capacity and inertia.

The capacity $L_S \cdot \omega - \frac{1}{C_S \cdot \omega}$, are name *reactance*, have the same dimension with the friction coefficient, but are differenced to friction because the sonic pressure of the friction resistance are in phases with the revolution. Whereas the sonic pressure due to one reactance, are deferent phases with 90° against the flow.

In the same mode we can see the friction coefficient C_f , as symbolic inertia, while *perditanta*, as symbolic capacity, for example the value of the equivalent inertia for a C_f resistance, can be distinguish:

$$P_{S_{if}} = P_{S_{il}} \quad C_f \cdot Q_{a \max} = j \cdot \omega \cdot L_S \cdot Q_{a \max} \quad (7)$$

2. THE THEORETICAL EFFECTS OF THE FRICTION

We considered have one generator G, with the piston who produces a sonic flow into the simple line, figure 2, the course of the piston are 6 cm, the section of this are $S=5\text{cm}^2$, than the revolution are $n = 955 \text{ rot/min}$. The capacity C_{S1} , are one steel cylinder with the volume $V= 2000 \text{ cm}^3$. The fluid used is water that has the elasticity coefficient 20000 kg/cm^2 , neglected the effect of the fluid in the pipe. We want calculated the sonic pressure $p_{a \max}$ and the mechanical work to make by the generator and the absorbing warming of the friction device on figure 1.

We calculated the throb and the sonic flow:

$$\omega = 2\pi \cdot n = 2\pi \cdot \frac{955}{60} = 100 \quad Q_{a \max} = S \cdot l \cdot \omega = 3 \cdot 5 \cdot 100 = 1500 \text{ cm}^3/\text{s} = 1,5 \cdot 10^{-3} \text{ m}^3/\text{s}.$$

Also we calculated the capacity of the steel cylinder:

$$C_S = \frac{V}{E} = \frac{5000}{20000} = 0,25 \text{ cm}^5/\text{kg} = 0,25 \cdot 10^{-11} \text{ m}^5/\text{N}$$

$$C_{S1} = \frac{V_1}{E} = \frac{2000}{20000} = 0,1 \text{ cm}^5/\text{kg} = 0,1 \cdot 10^{-11} \text{ m}^5/\text{N}$$

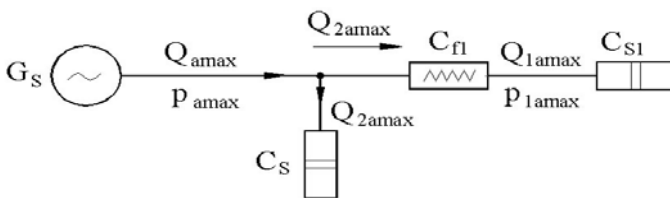


Figure 2. The sonic circuit with one resistance

The force in this case can be calculated with to help of relation:

$$\begin{aligned} P_{\max} &= \frac{Q_{a \max}^2 \cdot C_{S1}}{4 \cdot \omega \cdot C_S \cdot (C_S + C_{S1})} = \\ &= \frac{(1500)^2 \cdot 0,1}{4 \cdot 100 \cdot 0,25 \cdot (0,25 + 0,1)} = \\ &= 6440 \text{ kg/cm} = 0,85 \text{ CP} = \\ &= 625,3 \text{ W} \end{aligned}$$

In this case the sonic pressure can be calculated with the relation:

$$p_{a \max} = \frac{Q_{a \max}}{\omega \cdot (C_S + C_{S1})} \cdot \sqrt{1 + \frac{C_{S1}}{C_S} + \frac{1}{2} \cdot \left(\frac{C_{S1}}{C_S}\right)^2} = \frac{1500}{100 \cdot (0,25 + 0,1)} \cdot \sqrt{1 + \frac{0,1}{0,25} + \frac{1}{2} \cdot \left(\frac{0,1}{0,25}\right)^2} = 52$$

$$p_{a \max} = 52 \text{ kg/cm}^2 = 5,1 \cdot 10^6 \text{ Pa.}$$

The multiplication $P = \frac{p_{a \max} \cdot Q_{a \max}}{2}$ gives the apparent force that is the necessary value to calculate the force parameter of the installation.

$$P = \frac{p_{a \max} \cdot Q_{a \max}}{2} = \frac{52 \cdot 1500}{2} = 39000 \text{ kg} \cdot \text{cm/s} = 5,1 \text{ CP}$$

the force parameter can be:

$$\cos \theta = \frac{P_{\max}}{P} = \frac{0,85}{5,1} = 0,167 \text{ were } \theta = 80^{\circ} 23'.$$

The numerical value of the flow $Q_{a \max 1}$ and $Q_{a \max 2}$ can be determinate. So we have:

$$\bar{Q}_{2a \max} = \omega \cdot C_S \cdot p_{a \max} = 100 \cdot 0,25 \cdot 52 = 1300 \text{ cm}^3/\text{s}$$

$$Q_{1a \max} = \omega \cdot C_{S1} \cdot p_{a \max} \cdot \sqrt{1 + (\omega \cdot C_{S1} \cdot C_f)^2} =$$

$$= 100 \cdot 0,1 \cdot 52 \cdot \sqrt{1 + (100 \cdot 0,1 \cdot 0,14)^2} = 302$$

$$Q_{1a \max} = 302 \text{ cm}^3/\text{s.}$$

Supposed that the friction is represented by a pipe with the interior diameter $d_i = 0,6 \text{ cm}$, his section can be:

$$S_f = \frac{\pi d_i^2}{4} = \frac{\pi \cdot (0,6)^2}{4} = 0,282 \text{ cm}^2$$

the maximum of the speed is:

$$v = \frac{Q_{1a \max}}{S_f} = \frac{302}{0,282} = 1070 \text{ cm/s} = 10,7 \text{ m/s}$$

The efficacy speed obtained used the formula:

$$v_{ef} = \frac{v}{\sqrt{2}} = \frac{1070}{\sqrt{2}} = 756 \text{ cm/s} = 7,56 \text{ m/s}$$

The friction coefficient can be equal with:

$$C_f = k \cdot \frac{1}{S_f \cdot 10^2}; \quad k = \frac{v_{ef}}{100 d_i} + \frac{9}{100 d_i} \cdot \sqrt{\frac{v_{ef}}{d_i}} = \frac{756}{100 \cdot 0,6} + \frac{9}{100 \cdot 0,6} \cdot \sqrt{\frac{756}{0,6}} = 17,9.$$

Was the pipe length can be in this case:

$$l = \frac{k \cdot S_f \cdot 10^6}{C_f} = \frac{0,14 \cdot 10^6 \cdot 0,282}{17,9} = 2280 \text{ cm} = 22,8 \text{ m}$$

To mention that pipe is very length to can be used in practical, than must necessary used one pipe with the lesser diameter and little length. In this situation used one pipe with the interior diameter a 3,2 cm, the surface can be:

$$S_f = \frac{\pi d_i^2}{4} = \frac{\pi \cdot (0,32)^2}{4} = 0,08 \text{ cm}^2; \quad v = \frac{Q_{1a \max}}{S_f} = \frac{302}{0,08} = 3750 \text{ cm/s}; \quad v_{ef} = \frac{v}{\sqrt{2}} = \frac{3750}{\sqrt{2}} = 2650$$

cm/s

$$k = \frac{v_{ef}}{100 d_i} + \frac{9}{100 d_i} \cdot \sqrt{\frac{v_{ef}}{d_i}} = \frac{2650}{100 \cdot 0,32} + \frac{9}{100 \cdot 0,32} \cdot \sqrt{\frac{2650}{0,6}} = 105$$

$$l = \frac{k \cdot S_f \cdot 10^6}{C_f} = \frac{0,14 \cdot 10^6 \cdot 0,08}{105} = 107 \text{ cm} = 1,07 \text{ m}$$

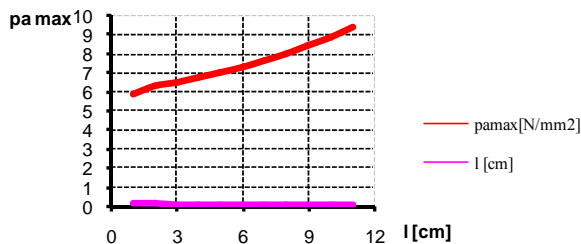
3. ANALITICAL OBSERVATION OF THE FRICTION EFFECTS IN THE SONIC CIRCUIT

On relation $p_{a\max} = C_f \cdot Q_{a\max}$, we can observed the caloric effect because the movement the flow in the friction pipe calculated

Interesting situation to be considerate is the variation of the length of the friction pipe in report with the sonic pressure created in the two tanks. (Table 1).

Table 1.

C_f	$p_{a\max}$ [N/mm ²]	v [m/s]	v_{ef} [m/s]	k	l [cm]	$Q_{l\max}$
1,326076027	5,897108668	24,1962	17,1093	6,572481792	0,122691	1710187
1,381100901	6,282090081	28,40352	20,08432	7,932417701	0,099278	2007561
1,427558431	6,49340729	32,2879	22,83099	9,256156163	0,083588	2282109
1,479037702	6,727322927	36,74537	25,9829	10,85219903	0,070444	2597163
1,536264126	6,987867154	41,89266	29,62258	12,79295605	0,059368	2960973
1,600128034	7,278359199	47,88732	33,86145	15,17881218	0,049979	3384676
1,671844437	7,604293924	54,94219	38,85	18,15078967	0,041972	3883314
1,752713213	7,972121176	63,31285	44,76895	21,89465548	0,035132	4474953
1,844604638	8,390388052	73,36727	51,87849	26,68551968	0,029267	5185598
1,949580227	8,86788112	85,57711	60,51215	32,90789848	0,024238	6048590
2,070607782	9,418047417	100,6216	71,15023	41,14442776	0,019922	7111936



Graphic 3. The variation of the sonic pressure in report by the length of the friction pipe

because the big energy created, who is demonstrate by the evolving the warm.

We observe to big values to the pressure, the length values decrease.

4. CONCLUSION

When the pressure is big for accomplish a better friction capacity we are need as the little length.

We can considerate also the situation when the sonic flow with to charge the tank C_{s1} , the influence of this to the friction capacity. The way in who can be influenced the flow into the tank on the friction.

5. REFERENCES

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We observe in this situation the length of the friction pipe is proportionally by his diameter. Also is interesting to see the influence of the effective speed in the case of the length of the pipe.

We observe in this case who the variation of the length is inverse proportionality by the effective speed of the fluid.

In conclusion in pipe who have the small diameter and big displacement of the fluid, produce a big friction